



# A Dictionary of Computing

Fourth Edition

Oxford New York  
OXFORD UNIVERSITY PRESS

Oxford University Press, Great Clarendon Street, Oxford OX2 6DP

Oxford New York  
Athens Auckland Bangkok Bogota Buenos Aires Calcutta  
Cape Town Chennai Dares Salaam Delhi Florence Hong Kong Istanbul  
Karachi Kuala Lumpur Madrid Melbourne Mexico City Mumbai  
Nairobi Paris São Paulo Singapore Taipei Tokyo Toronto Warsaw  
and associated companies in  
Berlin Ibadan

Oxford is a registered trade mark of Oxford University Press

© Market House Books Ltd. 1983, 1986, 1990, 1996

First published 1983  
Second published 1986  
Third edition 1990  
Fourth edition 1996

All rights reserved. No part of this publication may be reproduced, stored in a retrieval system, or transmitted, in any form or by any means, without the prior permission in writing of Oxford University Press. Within the UK, exceptions are allowed in respect of any fair dealing for the purpose of research or private study, or criticism or review, as permitted under the Copyright, Designs and Patents Act, 1988, or in the case of reprographic reproduction in accordance with the terms of the licences issued by the Copyright Licensing Agency. Enquiries concerning reproduction outside these terms and in other countries should be sent to the Rights Department, Oxford University Press, at the address above

This book is sold subject to the condition that it shall not, by way of trade or otherwise, be lent, re-sold, hired out or otherwise circulated without the publisher's prior consent in any form of binding or cover other than that in which it is published and without a similar condition including this condition being imposed on the subsequent purchaser

British Library Cataloguing in Publication Data  
Data available

Library of Congress Cataloging in Publication Data  
Data available  
ISBN 0-19-280046-9

3 5 7 9 10 8 6 4

Printed in Great Britain by  
Cox & Wyman Ltd  
Reading, Berkshire

$w$  derives  $A$  (the empty word) if and only if  $w$  has the same number of  $a$ 's as  $b$ 's.

The question of whether  $w$  derives  $w'$  is algorithmically undecidable.

**sense** To determine the condition or content of a signal or storage location. When used in reference to a storage location the word has the same meaning as read.

**sensitivity analysis** Investigation of the degree to which the behavior of a system is affected by a change in the value of some (explicit or implicit) parameter or variable, or by a combination of changes. For example, a simple analysis might determine how the performance of a system is impacted by changing the number and sizes of the storage buffers that are allocated to that system.

**sensor** *Another name for* transducer.

**sensor-data fusion** The idea that data from multiple sensors should be combined so as to remove or reduce noise and uncertainty and increase confidence in the result. Redundancy, majority voting, and probability methods can be used for sets of simple sensors of the same modality, but major research issues are involved where the sensors are complex, as in vision, or operate across different modalities.

**sentence** *See* predicate calculus.

**sentence symbol (start symbol)** *See* grammar.

**sentential form** *See* grammar.

**sentinel** A \*datum that indicates some important state, usually in the context of input or output. For example, an end-of-data sentinel means all the data has been read. *See also* rogue value, flag.

**separator** A symbol that separates statements in a programming language, e.g. the semicolon in Algol-type languages.

**SEQUEL** A database \*query language, precursor of \*SQL.

**sequence 1.** A \*function whose domain is the set of positive integers (or sometimes the set of nonnegative integers). The image set can thus be listed  $s_1, s_2, \dots$  where  $s_t$  is the value of the function given argument  $t$ . A *finite sequence* (or *list*) is a function whose domain is

$$\{1, 2, \dots, n\} \text{ for } n \geq 1$$

and hence whose image set can be listed

$$s_1, s_2, \dots, s_n$$

2. The listing of the image set of a sequence. Hence it is another name for \*string.

**sequence control register** A part of the \*control unit that causes the steps of the fetch and execute processes to occur in the correct sequence/timing. *See* program counter.

**sequence generator** A digital logic circuit whose purpose is to produce a prescribed sequence of outputs. Each output will be one of a number of symbols or of binary or \* $q$ -ary \*logic levels. The sequence may be of indefinite length or of predetermined fixed length. A binary \*counter is a special type of sequence generator. Sequence generators are useful in a wide variety of coding and control applications.

**sequencer 1.** In computer music, either a computer program or hardware that allows a composer to arrange a sequence or sequences of musical notes. These may then be replayed as continuous loops or on receipt of some trigger event. Often the anchor note for the sequence may be input by means of a conventional \*MIDI keyboard. Early sequencers were monophonic hardware solutions, often custom-built. Many modern computer programs for music composition can be viewed as sequencers, but it is the ability to loop, be triggered, and to alter the anchor note that gives the composer the ability to use sequencer technology in live performance.

2. A logic circuit that produces outputs that are intended to provide coordination stimuli for other logic circuits. The exact timing and sequence of these control outputs is dependent on the sequencer circuitry and may depend on a set of input control signals provided by external devices.

**sequencing 1.** The procedure by which ordered units of data (octets or messages) are numbered, transmitted over a communications network (which may rearrange their order), and reassembled into the original order at their destination.

2. Proceeding through a program in its ordinary order, normally from sequential memory locations. *See also* loop.